# **CHEMBIOCHEM**

## **Supporting Information**

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### Fluorescent Probes to Characterise FK506-Binding Proteins

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#### Appendix 1:

The equation:

$$[EC_{50}] = \frac{1}{2}[L]_t + K_d$$
 (1.)

Equation (1.) can be deduced as follows: At equilibrium,  $K_d = [L] \times [R] / [LR]$  (2.),  $[L]_t = [L] + [LR]$  (3.), and  $[R]_t = [R] + [LR]$  (4.), with  $[L]_t$ ,  $[R]_t$ , and  $[LR]_t$  being the concentrations of free ligand, free receptor and the ligand-receptor complex and  $[L]_t$  and  $[R]_t$  being the total concentrations of ligand and receptor, respectively.

In FP binding experiments, the EC<sub>50</sub> is defined as the total concentration  $[R]_t^{50}$  where equal amounts of free ligand and bound ligand are present, assuming identical intrinsic fluorescence intensities for free and bound ligands. Therefore, at the EC<sub>50</sub>, equation (3.) simplifies to  $[L] = [LR] = \frac{1}{2}[L]_t$  (5.) and equation (2.) to  $K_d = [R]$  (6.). At the EC<sub>50</sub>, equations (4.), (5.) and (6.) therefore yield  $[R]_t^{50} = K_d + \frac{1}{2}[L]_t$  (1.).

#### Appendix 2:

A mathematical term describing the ligand-receptor complex (LR) in binding assays was described by Wang et. al. 1992 [45].

$$[LR] = [([R]_t + [L]_t + K_d)/2] - \{[(R]_t + [L]_t + K_d)/2]^2 - [L]_t[R]_t\}^{0.5}$$
(7.)

The fluorescence anisotropy (A) is direct proportional to the increase of [LR] [46]. This relation is representated by a linear function, raising from the minimal measured anisotropy ( $A_{min}$ ) to the maximal measured anisotropy ( $A_{max}$ ) with a slope of  $\Delta A/[L]_t$ 

$$A = (\Delta A / [L]_t) [LR] + A_{min}$$
(8.)

Eq.(9.) follows from inserting (7.) into (8.) and was used to fit K<sub>d</sub> values from binding curves.

$$A = [(A_{max} - A_{min}) / [L]_t] \times \{[([R]_t + [L]_t + K_d)/2] - \{[(R]_t + [L]_t + K_d)/2]^2 - [L]_t[R]_t\}^{0.5}\} + A_{min}$$
(9.)

#### Appendix 3:

A mathematical expression describing competitive binding of two different ligands to a protein molecule was described by Wang et. al. 1995 [30].

The mathematical term for the competition of a titrated compound with a tracer for the binding to a protein was used to describe competition curves. The conversion into anisotropy values was done by insertion into (8.), the resulting formula was used to fit  $K_i$  values.

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 A = (A_{max} - A_{min}) / [L]_t \ x (([L]_t \ x (([2x((K_{lig} + K_{comp} + [L]_t + [I]_t - [R]_t)^2 - 3x(K_{comp} \ x ([L]_t - [R]_t) + K_{lig} \ x ([I]_t - [R]_t) + K_{lig} \ x ([L]_t - [R]_t) + K_{lig} \ x ([L]
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In this equation  $K_{lig}$  and  $K_{comp}$  stand for the  $K_d$  values of the used tracer or competing inhibitor,  $[I]_t$  is referring to the total concentration of the titrated inhibitor.